

Subject card

Subject name and code	Maths II, PG_00050274								
Field of study	Mechanical Engineering, Mechanical Engineering								
Date of commencement of studies	October 2020		Academic year of realisation of subject			2020/2021			
Education level	first-cycle studies		Subject group			Obligatory subject group in the field of study			
Mode of study	Full-time studies		Mode of delivery			at the university			
Year of study	1		Language of instruction			English			
Semester of study	2		ECTS credits			6.0			
Learning profile	general academic profile		Assessment form			exam			
Conducting unit	Mathematics Center -> Vice-Rector for Education								
Name and surname of lecturer (lecturers)	Subject supervisor		dr Stanisław Domachowski						
	Teachers	dr Stanisław Domachowski							
Lesson types and methods of instruction	Lesson type	Lecture	Tutorial	Laboratory Project		t	Seminar	SUM	
	Number of study hours	30.0	30.0	0.0	0.0		0.0	60	
	E-learning hours included: 0.0								
	Adresy na platformie eNauczanie: WIMiO - DaPE - MATH II 2020/21 (S.Domachowski) - Moodle ID: 13411 https://enauczanie.pg.edu.pl/moodle/course/view.php?id=13411								
Learning activity and number of study hours	Learning activity	Participation in didactic classes included in study plan		Participation in consultation hours		Self-study		SUM	
	Number of study hours	dy 60		8.0		82.0		150	
Subject objectives	The aim of the subject is to obtain the student's competence in the use of the basic apparatus of mathematical analysis and linear algebra and the application of the acquired knowledge to solve simple theoretical and practical problems occurring in engineering fields.								
Learning outcomes	Course outcome		Subject outcome		Method of verification				
	K6_U01		Student combines knowledge of mathematics with knowledge from other fields.			[SU2] Assessment of ability to analyse information			
	K6_W01		geometryczne Student lists g applications o Student analy geometry prol examines fun- variables, usin limit, continuit Student calcu triple integrals method of sub integrals. Stud	of definite integ rses analitycal blems. Studen ctions of sever ng the concept	onych. rals. t ral of a yes. nd the ese ble	ych. knowledge s. a . e			
	Indefinite integrals. Formula for the integration by parts, formula for the integration by substitution. Integration of rational functions. Integration of irrational functions of second degree. Integration of trigonometric functions. Geometric application of definite integrals. Improper integrals. Complex numbers. Matrices, system of linear equations. Vectors in three- dimensional space. The dot, and the cross product of vectors, their properties and applications. The scalar triple product of vectors, and its applications. Equations of a line and a plane in a space. Distance from a point to a plane. Angles between planes and lines. Limits and continuity of a function of several variables, partial derivatives, total differentia, extrema of functions of several variables, implicit functions.								

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Assessment methods	Subject passing criteria	Passing threshold	Percentage of the final grade		
and criteria	Final exam 90 minutes, 3 tests , active participation during classes	50.0%	100.0%		
Recommended reading	Basic literature	M.Lial, J.Hornsby, D.Schneider College Algebra. F.Ayres, E.Mendelson Calculus, ,T.Jankowski Linear Algebra. https://openstax.org/subjectshttps://cnm.pg.edu.pl/mathematics/welcome			
	Supplementary literature	Kazimierz Kuratowski, Introduction to calculus W. Kaplan, Advanced calculus			
	eResources addresses	WIMiO - DaPE - MATH II 2020/21 (S.Domachowski) - Moodle ID: 13411 https://enauczanie.pg.edu.pl/moodle/course/view.php?id=13411			
Example issues/ example questions/ tasks being completed	 Determine indefinite integrals of the following functions using the method of integration by parts or the method of substitution. Find the area of the region bounded by y=, y= and x=. Find the local extreme values of the function f(x,y)=x/(y+1)+8/x-y-1. Find the equation of the plane tangent to the surface S at the point P. Show that the points A, B, C, D do not lie on the plane. Discuss the relative position of the line I and the plane S. 				
Work placement	Not applicable				

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