

Subject card

| Subject name and code | Real and coplex analysis , PG_00021033 | | | | | | | |
|---|---|---------|--|-------------------------------------|--------|---|---------|-----|
| Field of study | Mathematics | | | | | | | |
| Date of commencement of studies | October 2022 | | Academic year of realisation of subject | | | 2022/2023 | | |
| Education level | second-cycle studies | | Subject group | | | Obligatory subject group in the field of study | | |
| | | | | | | Subject group related to scientific research in the field of study | | |
| Mode of study | Full-time studies | | Mode of delivery | | | at the university | | |
| Year of study | 1 | | Language of instruction | | | Polish | | |
| Semester of study | 1 | | ECTS credits | | | 5.0 | | |
| Learning profile | general academic profile | | Assessment form | | | exam | | |
| Conducting unit | Department of Nonlinear Analysis and Statistics -> Faculty of Applied Physics and Mathematics | | | | | | | s |
| Name and surname of lecturer (lecturers) | Subject supervisor | | dr inż. Marcin Styborski | | | | | |
| | Teachers | | dr inż. Marcin Styborski | | | | | |
| Lesson types and methods of instruction | Lesson type | Lecture | Tutorial | Laboratory | Projec | :t | Seminar | SUM |
| | Number of study hours | 30.0 | 30.0 | 0.0 | | | 0.0 | 60 |
| | E-learning hours included: 0.0 | | | | | | | |
| Learning activity and number of study hours | Learning activity Participation in classes including plan | | | Participation in consultation hours | | Self-study S | | SUM |
| | Number of study hours | | | 5.0 | | 60.0 | | 125 |
| Subject objectives | The aim of the course is to supplement the knowledge of real and complex analysis of topics that are not processed during the three-semester course of calculus and the course of complex functions at the undergraduate level. These are also topics with which students are already familiar (convergence of sequences of function, differentiation and integration of functional sequences, change the order of limits). | | | | | | | |
| Learning outcomes | Course outcome | | Subject outcome | | | Method of verification | | |
| Ü | K7_U03 | | Student independently formulate assertions and verifies the importance of assumptions and their significance in the proof. | | | [SU3] Assessment of ability to use knowledge gained from the subject | | |
| | K7_W02 | | The student understands the importance of abstract theories and mathematical structures in resolving the issues formulated in engineering sciences (convergence of Fourier series, limit process in probability). | | | [SW1] Assessment of factual knowledge | | |
| | K7_U02 | | The student is able to verify proofs based on rule of inference and consciously uses elementary methods and reasoning. | | | [SU4] Assessment of ability to use methods and tools [SU3] Assessment of ability to use knowledge gained from the subject | | |
| | K7_U09 | | The student uses the methods of functional analysis and topology in the formulation of theses in the field of mathematical analysis. | | | [SU4] Assessment of ability to use methods and tools | | |
| | K7_W01 | | The student is familiar with - Theorems about integration of functional sequences - Proof of the existence of a continuous function without derivative and topological properties of the set of such functions - Proof of the theorem about the divergence of Fourier series of continuous functions | | | [SW1] Assessment of factual knowledge | | |

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| Subject contents | Sequences and series of functions. Convergence. The criteria for uniform convergence: Dini, Weierstrass, Dirichlet Arzeli lemma and theorem of bounded convergence for the Riemann integral Applications of the theoremof bounded convergence. The dominated convergence theorem for the improper Riemann integral. Continuous function without derivative. Baire theorem. The set of functions without derivative in Banach spaces of continuous functions Arzeli-Ascoli and Weierstrass theorems. Stone's theorem and its consequences Fourier series: the Riemann-Lebesgue Lemma, pointwise convergence, the principle of localization, Dirichlet and Fejer kernel; divergence of Fourier series of continuous functions; theorem of convergence in the L ^2 space Holomorphic functions. Power series, analyticity. Index of the curve. Cauchy's theorem for a simply connected domain; consequences. Homologous curves. Global Cauchy's theorem | | | | | | |
|--|--|--|-------------------------------|--|--|--|--|
| Prerequisites and co-requisites | Familiarity with the: - primitive set theory - calculus. | | | | | | |
| Assessment methods and criteria | Subject passing criteria | Passing threshold | Percentage of the final grade | | | | |
| | Written exam | 51.0% | 40.0% | | | | |
| | Activity in the classes | 51.0% | 10.0% | | | | |
| | Midterm colloquium | 51.0% | 50.0% | | | | |
| Recommended reading | Basic literature | W. Rudin, Principles of mathematical analysis, McGraw-Hill, 1976 W. Rudin, Real and complex analysis, McGraw-Hill, 1987 | | | | | |
| | | 3. F. Leja, Funkcje zespolone, Wydawnictwo naukowe PWN 2006 | | | | | |
| | Supplementary literature | J. J. Chądzyński, Wstęp do analizy zespolonej, Wydawnictwo Uniwersytetu Łódzkiego, 2008 | | | | | |
| | eResources addresses | Adresy na platformie eNauczanie: | | | | | |
| Example issues/ example questions/ tasks being completed | Check the pointwise/uniform convergence of a sequence of functions Calculate the sum of a series of functions Show examples of Baire theorem Expand a function in a Fourier series Calculate the index of the curve | | | | | | |
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