

Subject card

| Subject name and code | Mathematics II, PG_00059245 | | | | | | | |
|---|--|--|--|--------------------------------|--------|--|---------|-----|
| Field of study | Civil Engineering | | | | | | | |
| Date of commencement of studies | October 2024 | | Academic year of realisation of subject | | | 2024/2025 | | |
| Education level | first-cycle studies | | Subject group | | | Obligatory subject group in the field of study | | |
| Mode of study | Full-time studies | | Mode of delivery | | | at the university | | |
| Year of study | 1 | | Language of instruction | | | Polish | | |
| Semester of study | 2 | | ECTS credits | | | 5.0 | | |
| Learning profile | general academic profile | | Assessment form | | | exam | | |
| Conducting unit | Mathematics Center -> Vice-Rector for Education | | | | | | | |
| Name and surname | Subject supervisor | | dr Jolanta Dyr | mkowska | | | | |
| of lecturer (lecturers) | Teachers | | | | | | | |
| Lesson types and methods | Lesson type | Lecture | Tutorial | Laboratory | Projec | :t | Seminar | SUM |
| of instruction | Number of study hours | 30.0 | 30.0 | 0.0 | 0.0 | | 0.0 | 60 |
| | E-learning hours inclu | uded: 0.0 | | | | | | |
| Learning activity and number of study hours | Learning activity | Participation i classes include plan | | Participation i consultation h | | | udy | SUM |
| | Number of study hours | 60 | | 6.0 | .0 | | | 125 |
| Subject objectives | Students obtain competence in the range of using methods of mathematical analysis and linear algebra and knowledge how to solve simple problems that can be found in the field of engineering. | | | | | | | |
| Learning outcomes | Course outcome | | Subject outcome | | | Method of verification | | |
| | [K6_W01] Demonstrate knowledge and understanding of mathematics as well as sciences and engineering disciplines underlying civil engineering at a level necessary to achieve the other programme outcomes. | | Student solves matrix equations and systems of linear equations. Student analyses a tasks from analitycal geometry. Student computes partial derivatives and uses differential calculus to examine properties of the function of several variables. Student solves ordinary differential equations, using informations about complex numbers. Student recognizes the importance of skillful use of basic mathematical apparatus in terms of study in future. | | | [SW1] Assessment of factual knowledge | | |
| | [K6_U01] Apply knowledge and understanding of mathematics as well as sciences and engineering disciplines underlying civil engineering to solve engineering problems and issues. | | Student solves matrix equations and systems of linear equations. Student analyses a tasks from analitycal geometry. Student computes partial derivatives and uses differential calculus to examine properties of the function of several variables. Student solves ordinary differential equations, using informations about complex numbers. Student recognizes the importance of skillful use of basic mathematical apparatus in terms of study in future. | | | [SU1] Assessment of task fulfilment | | |

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| Subject contents | | es, their properties and arithmetics. De | eterminants. Inverse of a square | | | | |
|--|--|--|----------------------------------|--|--|--|--|
| | matrix. Analytic geometry: Basic vectors definitions and properties. Eigenvectors and Eigenvalues. Dot product, | | | | | | |
| | cross product, their properties and applications. The triple scalar product and applications. Equations for lines and planes in 3-space. The distance from a point to a plane. Angles between planes and lines. Complex numbers. | | | | | | |
| | Functions of several variables: Limit and continuity of a function of several variables. Partial derivatives. Total differential. Taylors formula. Maxima and minima of a function of several variables. Ordinary differential equations: First order differential equations. General and particular solution. The Cauchy initial value | | | | | | |
| | problem. Variables separable, linear, Bernoulli, exact differential equations. Second order linear differential equations with constant coefficients. Fundamental set of solution of the homogeneous linear differential equation. Non-homogeneous linear differential equations. Higher order linear differential equations with constant coefficients. | | | | | | |
| Prerequisites and co-requisites | No requirements | | | | | | |
| Assessment methods | Subject passing criteria | Passing threshold | Percentage of the final grade | | | | |
| and criteria | Written exam | 50.0% | 60.0% | | | | |
| | Midterm colloquium | 50.0% | 40.0% | | | | |
| Recommended reading | Basic literature | J. Dymkowska, D. Beger, Rachunek różniczkowy w zadaniach, PG Gdańsk 2016 | | | | | |
| | | ki i układy równań, PG, Gdańsk Funkcje | | | | | |
| | | wielu zmiennych. Całki wielokrotne. Geometria analityczna, PG, Gdańsk 2005 K. Jankowska, T. Jankowski, Zadania z matematyki wyższej, PG, Gdańsk 1999 | | | | | |
| | Supplementary literature | T. Jurlewicz, Z. Skoczylas, Algebra liniowa 1 Definicje, twierdzenia, wzory, Oficyna Wydawnicza GiS, Wrocław 2002 T. Jurlewicz, Z. Skoczylas, Algebra liniowa 1 Przykłady i zadania, Oficyna Wydawnicza GiS, Wrocław 2002 E. Mieloszyk, Liczby zespolone, PG, Gdańsk 2003 M. Gewert, Z. Skoczylas, Analiza matematyczna 2 Definicje, twierdzenia, wzory, Oficyna Wydawnicza GiS, Wrocław 2003 M. Gewert, Z. Skoczylas, Analiza matematyczna 2 Przykłady i zadania, Oficyna Wydawnicza GiS, Wrocław 2003 M. Gewert, Z. Skoczylas, Równania różniczkowe zwyczajne, Oficyna Wydawnicza GiS, Wrocław 2001 R. Leitner, Zarys matematyki wyższej I i II, Wydawnictwo Naukowo-Techniczne, Warszawa 2001 R. Leitner, W. Matuszewski, Z. Rojek, Zadania z matematyki wyższej I i II, Wydawnictwo Naukowo-Techniczne, Warszawa 1999 W. Krysicki, L. Włodarski, Analiza matematyczna w zadaniach I i II, Wydawnictwo Naukowe PWN, Warszawa 1998 | | | | | |
| | eResources addresses | Adresy na platformie eNauczanie: | | | | | |
| Example issues/ example questions/ tasks being completed | Find A-1 if the matrix A is a 2x2 matrix of the elements aij = 3i - j. Find the distance between lines I: (x-9)/4 = (y+2)/(-3)=z and k: x/(-2)=(y+7)/9=(z-2)/2. Sketch the graph of the function f(x,y)=(9-x2-y2)1/2. Identify any local extrema of the function f(x,y)=ex-y(x2-2y2). Find the absolute extrema of the function f(x,y)=xy-x(x+1)-y(y+1) on the set D={(x,y): x2+y225, y3}. Solve the equation y"+6y'+9y=10sinx. | | | | | | |
| Work placement | Not applicable | | | | | | |
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