

Subject card

Subject name and code	Algebraic topology, PG_00021037								
Field of study	Mathematics								
Date of commencement of studies	October 2023		Academic year of realisation of subject			2024/2025			
Education level	second-cycle studies		Subject group			Optional subject group Subject group related to scientific research in the field of study			
Mode of study	Full-time studies		Mode of delivery			at the university			
Year of study	2		Language of instruction			Polish			
Semester of study	3		ECTS credits			5.0			
Learning profile	general academic pro	ofile	Assessme	essment form			exam		
Conducting unit	Divison of Differential Equations and Applications of Mathematics -> Institute of Applied Mathematics -> Faculty of Applied Physics and Mathematics								
Name and surname	Subject supervisor		prof. dr hab. Grzegorz Graff						
of lecturer (lecturers)	Teachers		dr inż. Marcin Styborski						
			prof. dr hab. Grzegorz Graff						
Lesson types and methods	Lesson type	Lecture	Tutorial	Laboratory	Projec	t	Seminar	SUM	
of instruction	Number of study hours	30.0	0.0	0.0	0.0		30.0	60	
	E-learning hours inclu	uded: 0.0							
Learning activity and number of study hours	Learning activity	rning activity Participation ir classes includ plan				Self-study		SUM	
	Number of study hours	60		5.0		60.0		125	
Subject objectives	The aim of the course is to familiarize students with the basic concepts and theorems in the field of algebraic topology.								

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It/Z_W03 Knows the most important theorems and hypotheses of main branches of mathematics.	ty to m the ty to						
recognize topological structures in mathematical objects occurring, for example, in geometry or mathematical analysis; is able to use the basic topological properties of sets, functions and transformations, uses the language and methods of functional analysis in the problems of mathematical analysis and its applications, in particular uses the properties of classical Banach and Hilbert spaces. IK7_U09 Is able, at an advanced level and covering modern mathematics, to apply and present in speech and in writing the methods of at least one selected branch of mathematics: mathematical and functional analysis, theory of differential equations and dynamical systems, algebra and number theory, geometry and topology, calculus probability and statistics, discrete mathematics.	ty to m the						
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theory.							
group of a circle. Covering spaces. Homotopy lifting. Deck transformation group. Relation between fundamental group and first homology group. Singular and simplicial homology. Exact sequences, Mayer	surfaces. Homotopy of maps, homotopy equivalence. Homotopy of paths, fundamental group. Fundamental group of a circle. Covering spaces. Homotopy lifting. Deck transformation group. Relation between fundamental group and first homology group. Singular and simplicial homology. Exact sequences, Mayer-Vietoris sequence. Mapping degree and some applications. Cohomology rings. Applications of topological methods in other branches of mathematics as well as in physics, biology and in other fields of science.						
Prerequisites Linear algebra. Algebra I. Algebra II. Topology. and co-requisites							
Assessment methods Subject passing criteria Passing threshold Percentage of the final grade	grade						
and criteria Activity during classes 50.0% 20.0%	<u>J</u>						
Presentation 50.0% 40.0%							
Written exam 50.0% 40.0%							
Recommended reading Basic literature C. Kosniowski, Wprowadzenie do topologii algebraicznej, Wydawnic UAM R. Duda, Wprowadzenie do topologii tom II, PWN Warszawa 1986 A. Hatcher, Algebraic topology, Cambridge Univ.Press http://www.math.cornell.edu/ hatcher	R. Duda, Wprowadzenie do topologii tom II, PWN Warszawa 1986 A. Hatcher, Algebraic topology, Cambridge Univ.Press http://						
Supplementary literature 1. Massey W.S., A Basic Course in Algebraic Topology, Springer-Verlag, 1991.							
eResources addresses Adresy na platformie eNauczanie: Topologia algebraiczna 2023/24 - Moodle ID: 30932 https://enauczanie.pg.edu.pl/moodle/course/view.php?id=30932	Topologia algebraiczna 2023/24 - Moodle ID: 30932						
Example issues/ example questions/ tasks being completed The definition of the primary group. Examples of homotopy and homology groups. Mathematical description of a Mobius strip.	The definition of the primary group. Examples of homotopy and homology groups. Mathematical description of a Mobius strip.						
Work placement Not applicable							

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