

## Subject card

Cubicat name and cade	Differential equations II, PG_00021047							
Subject name and code Field of study	Mathematics							
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Date of commencement of studies	October 2024		Academic year of realisation of subject		2024/2025			
Education level	second-cycle studies		Subject group					
Mode of study	Full-time studies		Mode of delivery			at the university		
Year of study	1		Language of instruction			Polish		
Semester of study	2		ECTS credits			5.0		
Learning profile	general academic profile		Assessment form		exam			
Conducting unit	Department of Differential Equations and Mathematical Applications -> Faculty of Applied Physics and Mathematics						ysics and	
Name and surname	Subject supervisor		dr Agnieszka Bartłomiejczyk					
of lecturer (lecturers)	Teachers		dr Agnieszka Bartłomiejczyk					
Lesson types and methods of instruction	Lesson type	Lecture	Tutorial	Laboratory	Projec	t	Seminar	SUM
	Number of study hours	30.0	30.0	0.0	0.0		0.0	60
	E-learning hours included: 0.0							
Learning activity and number of study hours	Learning activity	Participation i classes include plan		Participation in consultation hours		Self-study		SUM
	Number of study hours	60		5.0		70.0		135
Subject objectives	Acquiring basic knowledge of qualitative theory of differential equations. Consolidating and developing the ability to solve ordinary differential equations and boundary value problems.							
Learning outcomes	Course outcome Subject outcome Method of verification							
Subject contents	<ol> <li>Elements of the theory of stability: the Lyapunov stability, stability of constant coefficient linear stability of solutions of n order linear equations, stability of solutions of nonlinear systems, the L function.</li> <li>Boundary value problems: linear boundary value problem, the Green function for ODEs, proper solutions of second-order linear differential equations, the Sturm comparative theorem, the Stu Liouville problem, periodic Sturm-Liouville problem.</li> <li>The Laplace transform: basic properties of the Laplace transform, Inverse Laplace transform. Laplace transform method to solve the differential equation.</li> </ol>							properties of ne Sturm-
Prerequisites and co-requisites	The knowledge of Mathematical Analysis, Differential Equations I							
Assessment methods	Subject passing criteria		Passing threshold			Percentage of the final grade		
and criteria	tests		50.0%			60.0%		
	exam		50.0%			40.0%		
Recommended reading		Z. Kamont, Równania różniczkowe zwyczajne, Wydawnictwo Uniwersytetu Gdańskiego, 1999     A. Pelczar, J. Szarski, Wstęp do teorii równań różniczkowych, PWN, 1984     W. Walter, Ordinary differential equations, Springer, 1988						
	Supplementary literature		<ol> <li>J. Banasiak, K. Szymańska-Dębowska, Układy dynamiczne w modelowaniu procesów przyrodniczych, społecznych i technologicznych, PWN, 2023.</li> <li>B.P. Demidowicz, Matematyczna teoria stabilności, WNT, 1972.</li> <li>M. Gewert, Z. Skoczylas, Równania różniczkowe zwyczajne, GiS, 2004.</li> <li>J. Muszyński, A.D. Myszkis, Równania różniczkowe zwyczajne, PWN, 1984.</li> </ol>					
	eResources addresse	es	Adresy na pla	atformie eNauc	zanie:			
Example issues/ example questions/ tasks being completed	Give the definition of stability in the sense of Lyapunov. Sketch and interpret the phase portret for autonomous linear constant coefficient systems. Solve linear ordinary differential equations using Laplace transform.							
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Work placement	Not applicable

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