



## Subject card

|   |   |  |   |                                     |  |            |     |
|---|---|--|---|-------------------------------------|--|------------|-----|
| Subject name and code                       | Mathematics 2, PG_00042017  |  |   |                                     |  |            |     |
| Field of study                              | Power Engineering   |  |   |                                     |  |            |     |
| Date of commencement of studies             | October 2025  |  | Academic year of realisation of subject   |                                     | 2025/2026  |            |     |
| Education level                             | first-cycle studies   |  | Subject group   |                                     | Obligatory subject group in the field of study                       |            |     |
| Mode of study                               | Full-time studies   |  | Mode of delivery  |                                     | at the university  |            |     |
| Year of study                               | 1   |  | Language of instruction   |                                     | English  |            |     |
| Semester of study                           | 2   |  | ECTS credits  |                                     | 6.0  |            |     |
| Learning profile                            | general academic profile  |  | Assessment form   |                                     | exam   |            |     |
| Conducting unit                             | Mathematics Center -> Vice-Rector For Education   |  |   |                                     |  |            |     |
| Name and surname of lecturer (lecturers)    | Subject supervisor  |  | dr Hanna Guze   |                                     |  |            |     |
|   | Teachers  |  |   |                                     |  |            |     |
| Lesson types and methods of instruction     | Lesson type   | Lecture  | Tutorial  | Laboratory                          | Project  | Seminar    | SUM |
|   | Number of study hours   | 45.0   | 45.0  | 0.0                                 | 0.0  | 0.0        | 90  |
|   | E-learning hours included: 0.0  |  |   |                                     |  |            |     |
| Learning activity and number of study hours | Learning activity   | Participation in didactic classes included in study plan |   | Participation in consultation hours |  | Self-study | SUM |
|   | Number of study hours   | 90   |   | 15.0                                |  | 45.0       | 150 |
| Subject objectives                          | Students obtain competence in using methods of mathematical analysis and differential equations, and knowledge how to solve simple problems that are found in the field of engineering.   |  |   |                                     |  |            |     |
| Learning outcomes                           | Course outcome  |  | Subject outcome   |                                     | Method of verification   |            |     |
|   | [K6_K01] is aware of the need for training and self-improvement in the profession of energy and the possibility of further education; can think and act in a creative and entrepreneurial manner; can define priorities for the implementation of an individual or group task |  | Student understands that to use a specific math tool, he needs to reach for additional knowlege in given subject. Student recognizes the importance of self-expanding knowledge and takes the challenge of working with a group to solve a problem.   |                                     | [SK2] Assessment of progress of work                                 |            |     |
|   | [K6_U02] is able to apply the learned mathematical methods to the analysis and design of elements, systems and energy systems   |  | Student combines knowledge of mathematics with knowledge from other fields.   |                                     | [SU3] Assessment of ability to use knowledge gained from the subject |            |     |
|   | [K6_W01] has basic knowledge of mathematics necessary to describe the phenomena related to the processes of energy conversion and transfer; uses information technology to solve mathematical problems  |  | Student analyses properties of a given function of two variables using differential calculus of multivariable functions. Student evaluates the limits of sequences, radius and interval of convergence of a power series. Student is able to determine the type of convergence of a number series. Student evaluates double and triple integrals and explains the methods of change of variables. Student knows various types of differential equations and selects the appropriate methods to solve them. Students explains the definition of the cross product. Student evaluates line integrals. |                                     | [SW1] Assessment of factual knowledge                                |            |     |

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| Subject contents                | <p>Indefinite integral.</p> <p>Definite and improper integral and their applications.</p> <p>Complex numbers: algebraic and trigonometric form, complex conjugate, modulus, arithmetic operations, root of complex numbers, solving equations.</p> <p>Infinite number series: necessary condition for convergence, criteria for convergence, alternating series, conditional and absolute convergence.</p> <p>Power series.</p> <p>Analytic Geometry: vectors (dot product, cross product, mixed product, and their application), equations of line and planes in space.</p> <p>Conic sections and graphs of selected surfaces.</p> <p>Multivariable Functions: limits and continuity, partial derivatives with applications.</p> <p>Integrals of multivariable functions: double integrals (definition, polar coordinates, application in geometry and physics), triple integrals (definition, cylindrical and spherical coordinates, application in geometry and physics).</p> <p>Ordinary Differential Equations: separable, homogeneous, Bernoulli, first order linear equations, linear of order <math>n</math> with constant coefficients, variation of parameters and undetermined coefficients method.</p> <p>Line integral of a scalar field and a vector field.</p> |                   |                               |
| Prerequisites and co-requisites | Working knowledge of the concepts of the first semester of mathematics.   |                   |                               |
| Assessment methods and criteria | Subject passing criteria  | Passing threshold | Percentage of the final grade |
|                                 | Tests and activity in classes   | 0.0%              | 50.0%                         |
|                                 | Final Exam  | 45.0%             | 50.0%                         |
| Recommended reading             | <p>Basic literature</p> <p>Sherman K. Stein, Calculus and analytic geometry, McGraw - Hill Book Company, 4th edition, 1987.</p> <p>Howard Anton, Calculus. A new horizon., John Wiley and Sons Publishing Company, 6th edition, 1999.</p> <p>D.J. Hartfiel, Arthur M. Hobbs, Elementary linear algebra, Prindle, Weber &amp; Schmidt, Boston, 1987.</p> <p>T. Jankowski, Linear algebra, Wydawnictwo Politechniki Gdańskiej, Gdańsk, 2001.</p> <p>K. Jankowska, T. Jankowski, "Zbiór zadań z matematyki", cz. 2 i 3, PG Gdańsk.</p>   |                   |                               |

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|  | Supplementary literature  | <p>M.Gewert, Z.Skoczylas, Analiza matematyczna II, wzory, Oficyna Wydawnicza GiS</p> <p>E.Łobos, B.Sikora, Calculus and differential equations in exercises, The Publishing House of the Silesian University of Technology, Gliwice, 2006.</p> <p>J.Polking, A.Boggess, D.Arnold, Differential Equations, Pearson</p> |
|  | eResources addresses  | Adresy na platformie eNauczenie:  |
| Example issues/<br>example questions/<br>tasks being completed | <ol style="list-style-type: none"> <li>1. Find the general solution of the differential equation.</li> <li>2. Determine convergence of the series.</li> <li>3. Find local extreme values of the function <math>f(x,y)=\dots</math>.</li> <li>4. Find the volume of the given solid by means of double or triple integral.</li> <li>5. Find the roots of the given complex number.</li> <li>6. Sketch the graph of the following surface.</li> </ol> |   |
| Work placement   | Not applicable  |   |

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