



Subject card

Subject name and code	Mathematics 1, PG_00061673						
Field of study	Recycling and Energy Recovery						
Date of commencement of studies	October 2026	Academic year of realisation of subject			2026/2027		
Education level	first-cycle studies	Subject group			Obligatory subject group in the field of study		
Mode of study	Full-time studies	Mode of delivery			at the university		
Year of study	1	Language of instruction			Polish		
Semester of study	1	ECTS credits			6.0		
Learning profile	general academic profile	Assessment form			exam		
Conducting unit	Mathematics Center -> Vice-Rector For Education						
Name and surname of lecturer (lecturers)	Subject supervisor		dr Krzysztof Radziszewski				
	Teachers						
Lesson types	Lesson type	Lecture	Tutorial	Laboratory	Project	Seminar	SUM
	Number of study hours	30.0	40.0	0.0	0.0	0.0	70
	E-learning hours included: 0.0						
Learning activity and number of study hours	Learning activity	Participation in didactic classes included in study plan		Participation in consultation hours		Self-study	SUM
	Number of study hours	70		5.0		75.0	150
Subject objectives	Students obtain competence in the range of using methods of mathematical analysis and knowledge how to solve simple problems that can be found in the field of engineering.						
Learning outcomes	Course outcome		Subject outcome			Method of verification	
	[K6_U01] applies knowledge of mathematics and other exact sciences and engineering disciplines to solve theoretical, engineering and technological problems and issues.		Student solves equations and inequalities with elementary functions. Student defines basic notions of differential calculus of one variable function. Student determines intervals of monotonicity of a given functions and its extrema. Student applies the basic rules and techniques of integration to calculate indefinite.			[SU1] Assessment of task fulfilment	
	[K6_W01] demonstrates knowledge and understanding of mathematics and other exact sciences and engineering disciplines at the level necessary to solve theoretical, engineering and technological problems and issues.		Student solves equations and inequalities with elementary functions. Student defines basic notions of differential calculus of one variable function. Student determines intervals of monotonicity of a given functions and its extrema. Student applies the basic rules and techniques of integration to calculate indefinite. Student recognizes the importance of skillful use of basic mathematical apparatus in terms of study in future.			[SW1] Assessment of factual knowledge	

Subject contents	<p>Course content – lecture</p> <p>Functions of one variable and their properties: The absolute value function definition, solving equations and inequalities with absolute value, graphs of functions with absolute value. Power functions solving power and polynomial equations and inequalities. Rational functions solving national equations and inequalities. Exponential function properties and graphs, solving exponential equations and inequalities. Logarithmic functions properties and graphs, solving logarithmic equations and inequalities. Trigonometric and cyclometric functions properties and graphs, solving trigonometric equations and inequalities Limits and continuity: Infinite sequences. Fundamental definitions of limit of sequence, convergence and divergence, limit theorems. Applications to solving equation. Differential calculus of functions with one variable and applications of differential calculus of one variable functions: Definition of first derivative and differential. Rols and Lagranges theorems. Higher derivatives and differentials. Monotonicity and local extrema. Convexity, concavity and inflexion points of a function. De IHospitals Thorem. Asymptotes. Applications of differential calculus to studying properties of one variable functions. Inegral calculus of functions with one variable antiderivatives: The process of finding antiderivatives and integration formulas the substitution method of integration and integration by parts. Integration of rational, trigonometric and irrational functions.</p>											
Prerequisites and co-requisites												
Assessment methods and criteria	<table border="1"> <thead> <tr> <th data-bbox="448 506 794 539">Subject passing criteria</th> <th data-bbox="794 506 1141 539">Passing threshold</th> <th data-bbox="1141 506 1487 539">Percentage of the final grade</th> </tr> </thead> <tbody> <tr> <td data-bbox="448 539 794 573">Written exam</td> <td data-bbox="794 539 1141 573">50.0%</td> <td data-bbox="1141 539 1487 573">60.0%</td> </tr> <tr> <td data-bbox="448 573 794 607">Midterm colloquium</td> <td data-bbox="794 573 1141 607">50.0%</td> <td data-bbox="1141 573 1487 607">40.0%</td> </tr> </tbody> </table>			Subject passing criteria	Passing threshold	Percentage of the final grade	Written exam	50.0%	60.0%	Midterm colloquium	50.0%	40.0%
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Example issues/ example questions/ tasks being completed	<ol style="list-style-type: none"> Find the domain and the set of values of the function $f(x)=\arcsin(3x-2)$. Determine the inverse function of f. Find the derivative of $y=4x(3x^2+5)^5$. Sketch the graph of the function $f(x)=x-\ln x$. Identify any local extrema and points of inflection. Find the absolute extrema of $f(x)=4x-36x^{-1}$ on the interval $[1,6]$. Calculate $\int 4x^2 \ln x \, dx$. 											
Practical activites within the subject	Not applicable											

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